

What does this code do

```
G:=proc(ee,k::posint:=2)
  subsindets(ee,`*`,
    u->`if`(irem(denom(content(u)),k)=0 and member(sqrt(k),[
(uu->`if`(uu::`*`,op(uu),uu))(numer(content(u)))]),u*sqrt(k)/%sqrt(k),
u));
end proc:
```

You defined a Maple procedure `G` that walks multiplicative subexpressions and conditionally multiplies certain factors by a quotient involving `sqrt(k)`. Below I explain step by step what each part does, show a short example of its effect, point out a pitfall (the use of `%`), and offer a safer clearer version you can use instead.

Signature: `G := proc(ee, k::posint := 2)`

Line-by-line meaning:

- `subsindets(ee, `*`, u -> ...)`: visit every subexpression of `ee` whose top-level operator is multiplication (operator ```*```) and call it `u`. Each such `u` is a candidate for replacement by the lambda-body result.
- `content(u)`: returns the content of `u`. For rational expressions this isolates the rational factor (Maple's content normally used for polynomials; here it is used to extract the rational multiplier part of `u`).
- `denom(content(u))` and `numer(content(u))`: the denominator and numerator of that content (as integers or integer factors when content is rational).
- `irem(denom(content(u)), k)=0`: tests whether the denominator of that content is divisible by `k` (i.e. remainder 0 on integer division by `k`).
- `(uu -> if(uu::`*`, op(uu), uu))(numer(content(u)))`: if the numerator is itself a product, this produces the operand list of that product; otherwise it yields the numerator as a single object. The result is put into a one-element list constructor in the original code and then tested with `member(sqrt(k), ...)`.
- `member(sqrt(k), [...])`: checks whether one of those factors equals `sqrt(k)`.
- So the combined condition checks: "the denominator of the (rational) content of `u` is divisible by `k` AND the numerator of that content includes `sqrt(k)` as a factor."
- If the condition is true the code returns `u*sqrt(k)/%sqrt(k)` as the replacement; otherwise it returns `u` unchanged.

Intent (interpretation): the procedure looks for multiplicative subexpressions that contain a

rational factor whose denominator is divisible by k while the numerator contains a factor \sqrt{k} . For those factors it multiplies the subexpression by $\sqrt{k}/\% \sqrt{k}$. That multiplication has no algebraic effect if $\% \sqrt{k}$ is the same object as \sqrt{k} , but because the code uses the special symbol $\%$ (the “last result” reference in Maple) the replacement can produce expressions that explicitly carry a $\%$ reference.

Using $\sqrt{k}/\% \sqrt{k}$ is fragile because $\%$ refers to the previous Maple output and is not a stable symbol; the code therefore depends on worksheet evaluation history and may produce odd results like $\dots/\% \sqrt{2}$. Likely the author intended to multiply by \sqrt{k}/\sqrt{k} (which is 1) but to force a change in internal representation so that the \sqrt{k} factor becomes an explicit part of the product rather than hidden inside the content. A safer explicit approach should avoid $\%$.

```

1 # Example showing how G behaves (from Maple run):
2 # expr := (3*sqrt(2)*x)/4;
3 # G(expr,2) => returns something like 3/2*x/%sqrt(2) (shows the effect and the % usage)
4 # (The preceding was produced by Maple in a test run.)
5

```

Safer clearer alternative

If the goal is to force \sqrt{k} to appear as an explicit multiplicative factor (without using $\%$), introduce a local symbol $S := \sqrt{k}$ and use it in the replacement. For example:

```

1 G2 := proc(ee, k::posint := 2)
2   local S;
3   S := sqrt(k);
4   subsindets(ee, '*', u -> if irem(denom(content(u)), k) = 0 and member(S, [op(numer(content(u)))] then u*S/S else u fi);
5 end proc;
6
7 # Example to run in Maple:
8 # expr := (3*sqrt(2)*x)/4;
9 # G2(expr,2);
10

```

Notes about the alternative:

- Using a local variable S bound to \sqrt{k} avoids dependence on the worksheet's “last result” ($\%$).
- Multiplying by S/S is algebraically 1, but it forces Maple to show \sqrt{k} as an explicit factor in the product (which appears to be the original purpose).
- You may need to adapt the operand extraction if $\text{numer}(\text{content}(u))$ is not a product (the code above uses $\text{op}(\text{numer}(\text{content}(u)))$) and relies on Maple returning a sequence of operands; wrap into a list if desired).

Summary

1. G traverses multiplicative subexpressions and, when it finds a rational content whose denominator is divisible by k and whose numerator includes \sqrt{k} , it multiplies that subexpression by $\sqrt{k}/\% \sqrt{k}$.
2. The use of $\%$ (the “last result” reference) is brittle and will produce expressions referencing $\% \sqrt{k}$; this is probably unintended. Replace $\%$ with a stable local name (e.g. set $S := \sqrt{k}$ and use S/S) to get predictable, worksheet-history-independent behavior.